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*Representing and Quantifying Complexity in Functional Observations and Parameters*

Roughness-penalized functional data analyses, including smoothing, use a roughness penalty defined by a linear differential operator  $L$  to impose smoothness on functional parameter estimates. Finite element methods use the stiffness matrix for the same purpose. The matrix  $R$ , consisting of the possible inner products of basis functions transformed by  $L$ , defines the complexity of a functional parameter or functional data. The talk will show how the eigenanalysis of  $R$  can be used to quantify complexity in existing functions, stabilize functional estimates and show the consequences of choosing  $L$ , especially when it is determined by data-defined parameter values.